Specification for the book of courses					
Study program	1		Electrical Engineering and Computer Science		
Module			Computing and Informatics		
Type and level of studies			Undergraduate Academic Studies		
The name of the course			Discrete Mathematics		
Lecturer (for lectures)			Milovanović Ž. Igor		
Lecturer/associate (for exercises)			Matejić M. Marjan, Milošević D. Predrag		
Lecturer/associate (for OFE)					
Number of ECTS 6 Course status (obligatory/elective) Obligatory					
Prerequisites					
Course objectives	This course covers widely applicable mathematical tools for computer science, including topics from logic, set theory, combinatorics, number theory and graph theory. It includes mathematical logic, sets, relations and functions, combinatorics, basic graph theory. Regarding knowledge and understanding the student is expected to be able to on completion of the course to analyze given problem logically, solve combinatorial problems, apply basic graph and				
Course outcomes	number theory for problem-solving and calculation, relate discrete mathematical models and techniques to areas within computer science.				
Course outline					
Theoretical teaching Practical teaching (exercises, OFE, study and research	Mathematical logics. Propositional calculus. Propositional functions. Coexistency and logical consequences. Normal forms. Sets. Representations. Operations on sets. Principle of sum. Principle of inclusion-exclusion. Partitive sets. Cartesian product. Principle of product. Relations. Matrix representations. Oredring relations. Equivalence relations.Lexicographical ordering. Functions. Principles of injection, surjection, bijection and complemet. Dirichlet principle. Sequences. Generatrisa functions. Recurrent sequences. Solving linear recurrente relations. Fibonacchi, Catalan and Stirling numbers. Finite differences and summs. Permanent. Computation and properties. Permanent matrix in special form. Sistems of different representatives. Integers. Divisibility. GCD. Euclid algorithm. Diophantine equations. Modular equations. Chinese remider theorem. Euler funtion. Little Ferma theorem. Modular arithmetics. Number sequences. Functional sequences. Fourier sequences. Power sequences. Oral exercises that exemplify problem statements examined in the lectures.				
Textbooks/references					
	James A. Anderson, Discrete Mathematics with Combinatorics, Second Edition, Prentice Hall, 2003.				
3	Susanna S. Epp, Discrete Mathematics with Applications, Fourth Edition, Brooks/Cole Cengage Learning, 2011				
4					
5					
Number of classes of active education per week during semester/trimester/year					
_	Exercises	OFE	Study and research work	Other classes	
Lectures 3	2	0	i		
Teaching	_		0	0	
Teaching lectures and exercises. methods					
	um number	of points 400			
Grade (maximum number of po Pre-exam duties Poir		Points 100		Pointo	
Activity during lectures		10	Final exam Written exam	Points 20	
Exercises			Oral exam	40	
Colloquia		30			
Projects					